

The attached slides were presented at following talks:

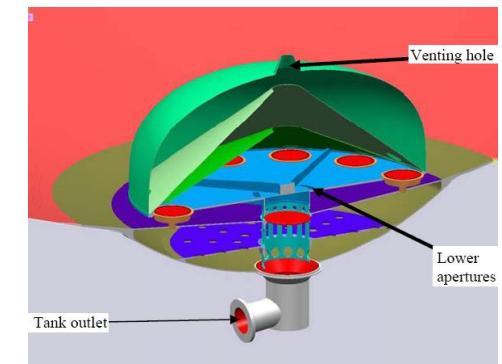
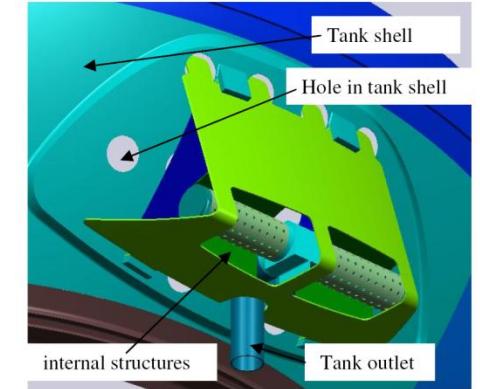
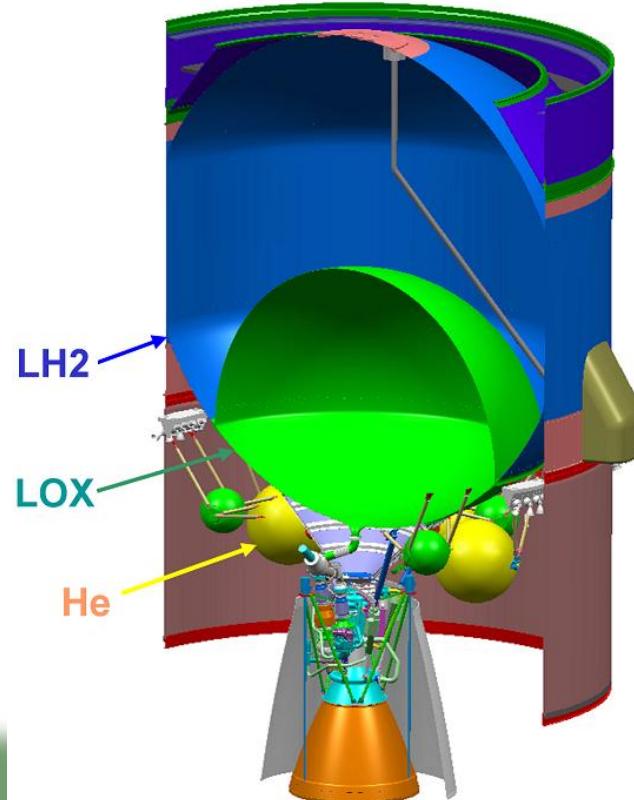
N. Fries, M. Dreyer; Capillary transport of cryogenic liquids in porous structures; Space Cryogenics Workshop; Arcadia, California; June 2009.

N. Fries, M. Dreyer; Capillary transport of cryogenic liquids in porous structures; International Cryogenic Engineering Conference; Tucson, Arizona; June 2009.

# Capillary transport of cryogenic liquids in porous structures

N.Fries and M.Dreyer

Center of Applied Space Technology and Microgravity  
(ZARM), Bremen, Germany



Cryogenic upper stage (projected ESCB)

Images : ESA &  
Behruzi (Astrium)

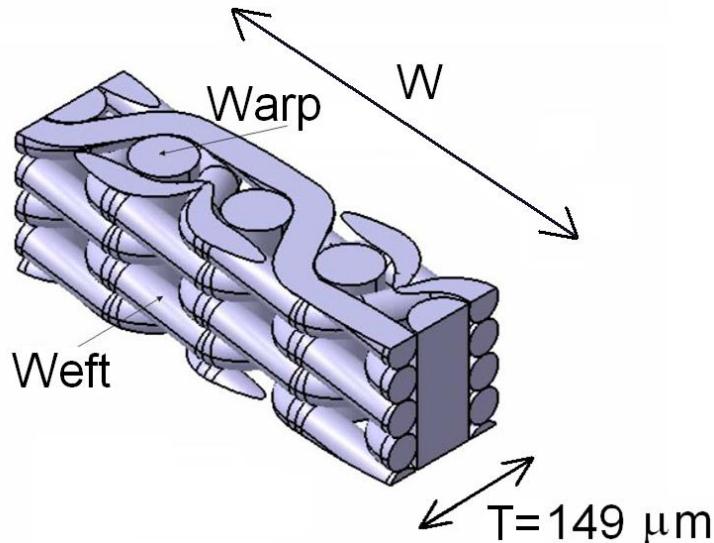
→ allow liquid to enter but block out gas (bubble point)

## Metallic Screen

e.g. Dutch-Twilled-Weave

(DTW) 200 x 1400

Porosity 0.24

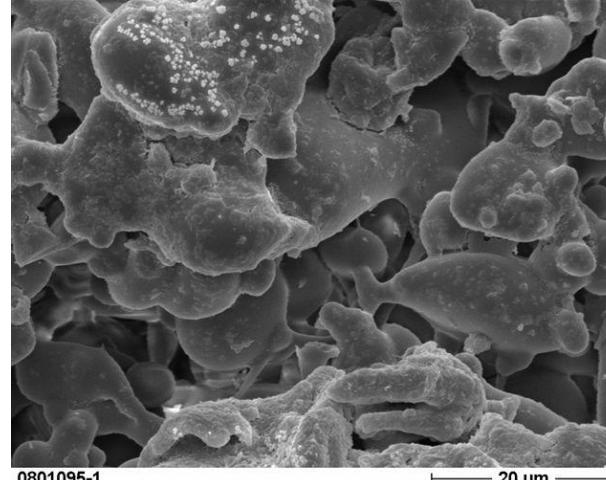


## Glass filter frit

Off the shelf / industrial product

Available with several different pore sizes

Inexpensive, machinable



F. Krause: Frit P5

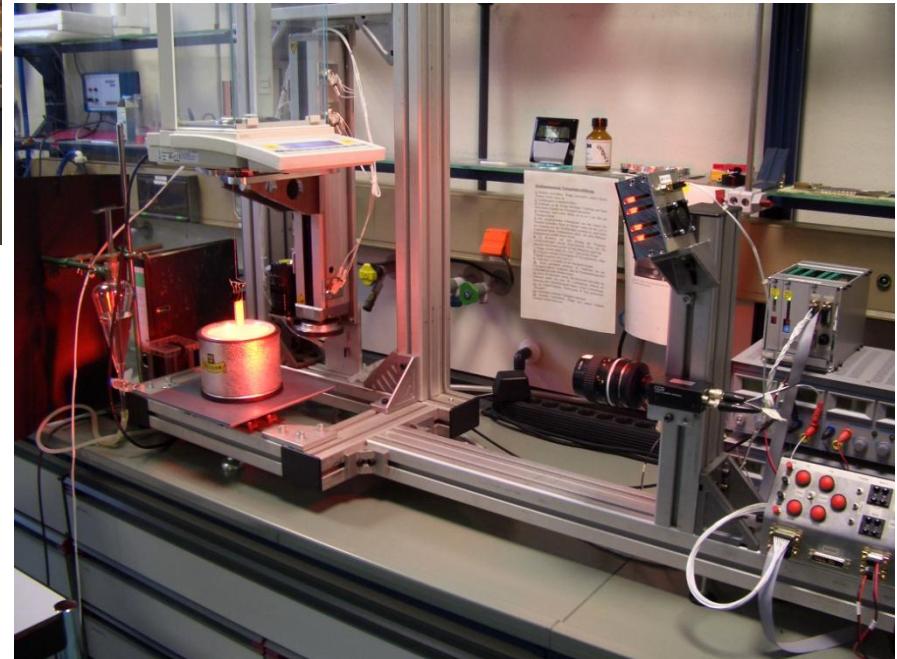
- Capillary rise during initial tank filling
- Refilling of cryogenic PMDs after coast phases
- Capillary transport of cold liquid to propellant tank components which are to be cooled
- Cryogenic heat pipes

Due to handling reasons: LN2 instead of LH2 and LOX

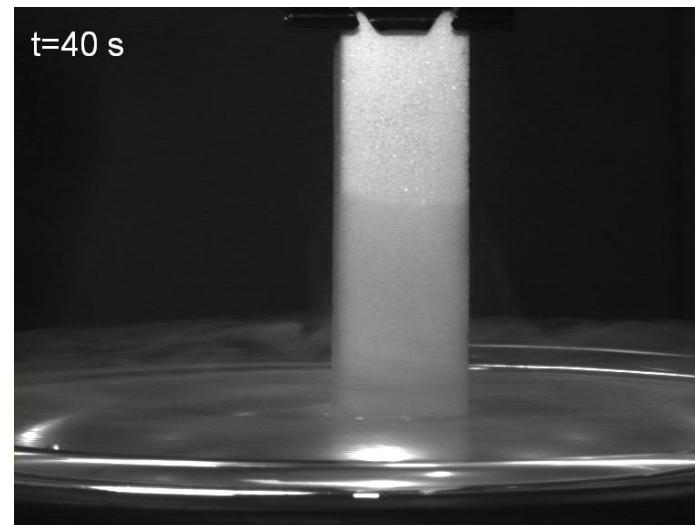
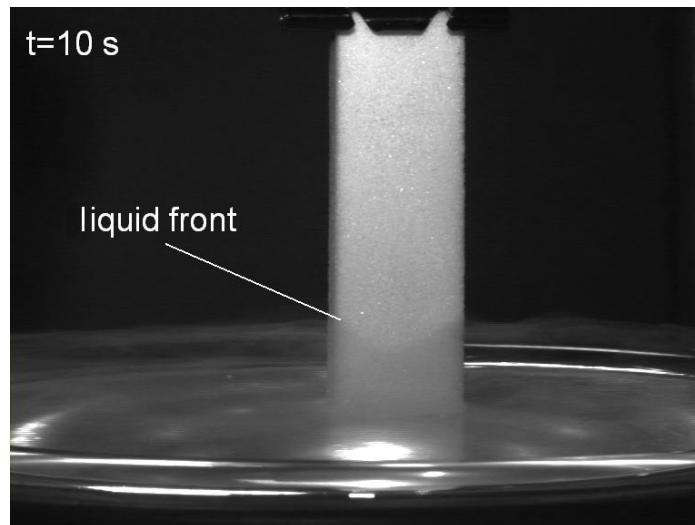
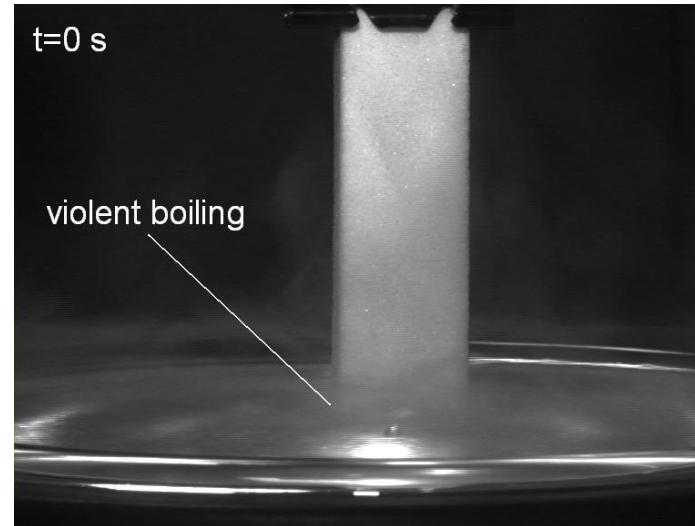
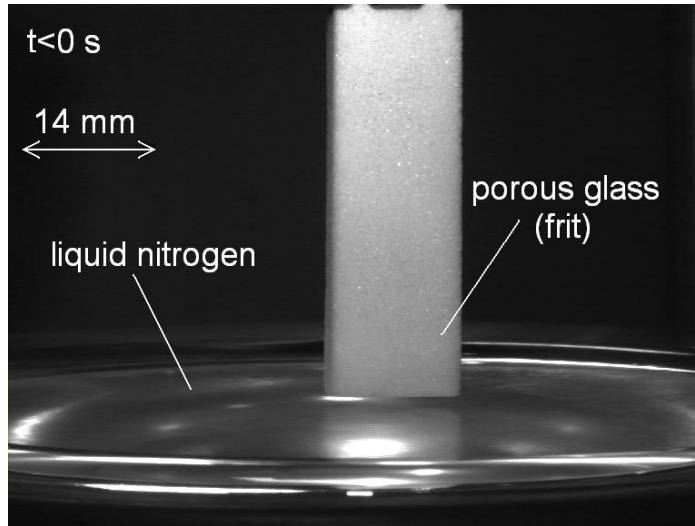
# Capillary rise of cryogenic liquids



Short Dewar flask  
+ Optical access  
- Thermal environment



# Capillary rise of cryogenic liquids



# Capillary rise of cryogenic liquids

Video clip

## Infrared camera FLIR SC 7600

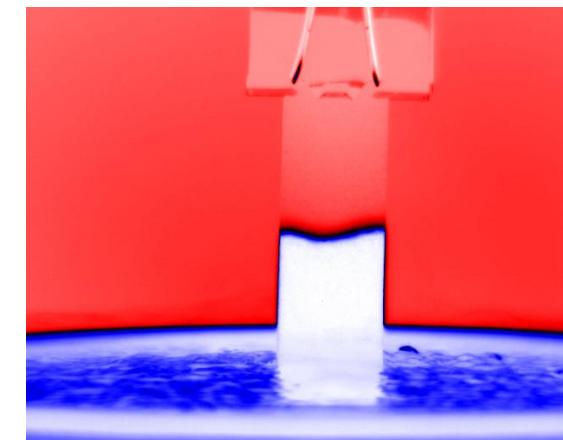
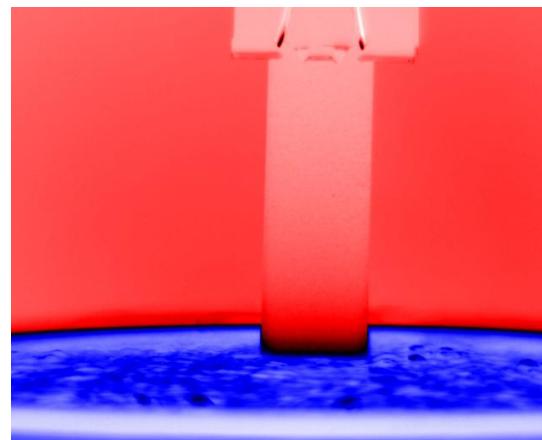
640 x 512 resolution

14 bit dynamic range

1.5 – 5.1  $\mu\text{m}$  wavelength (2.5 – 5.0  $\mu\text{m}$  due to germanium optics)

Video clips:

1. IR
2. Visible and IR



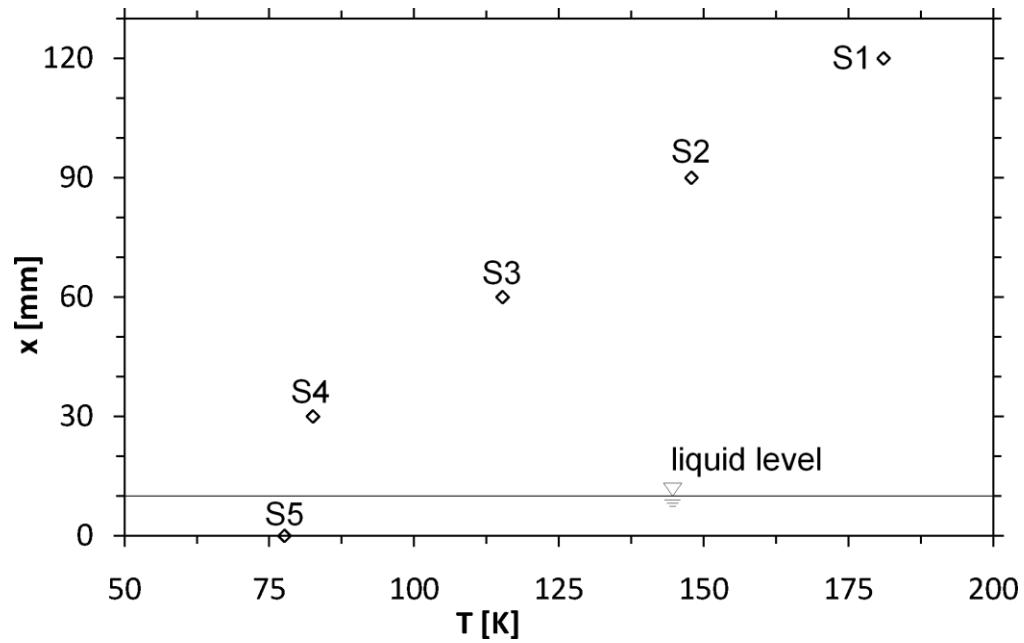
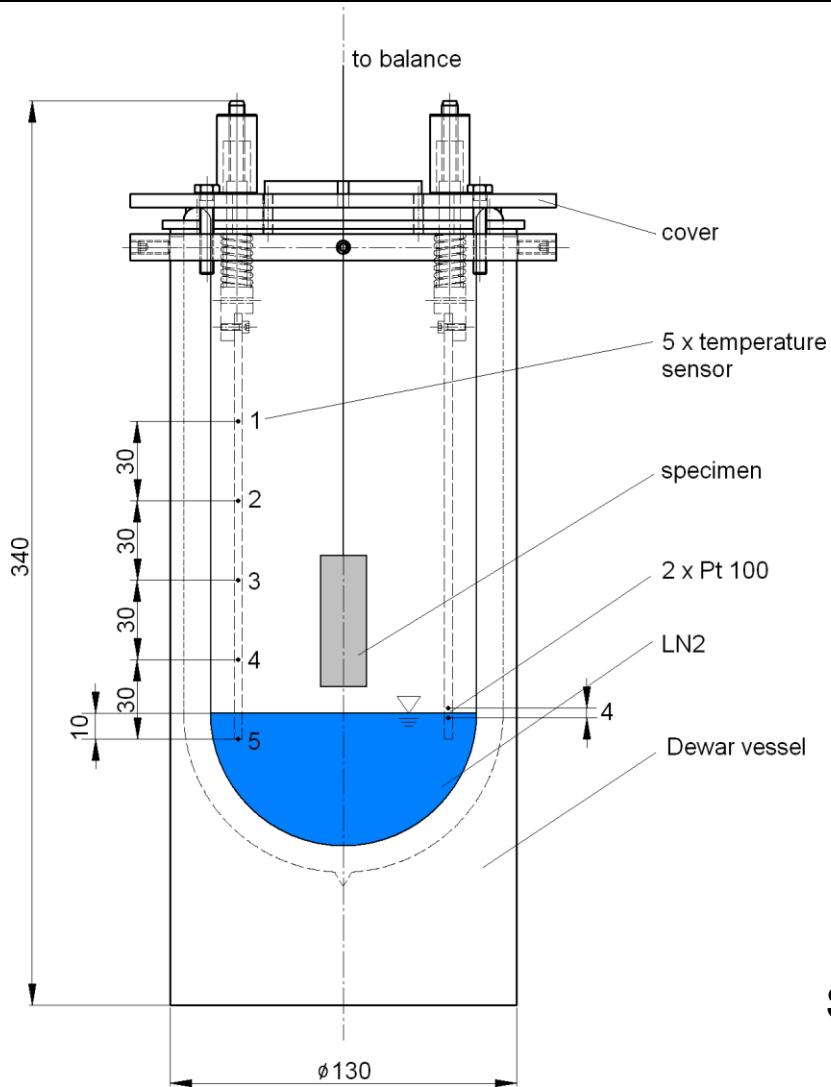
Color indicates photon count of pixel



Deep Dewar flask  
+ Thermal environment  
- Optical access

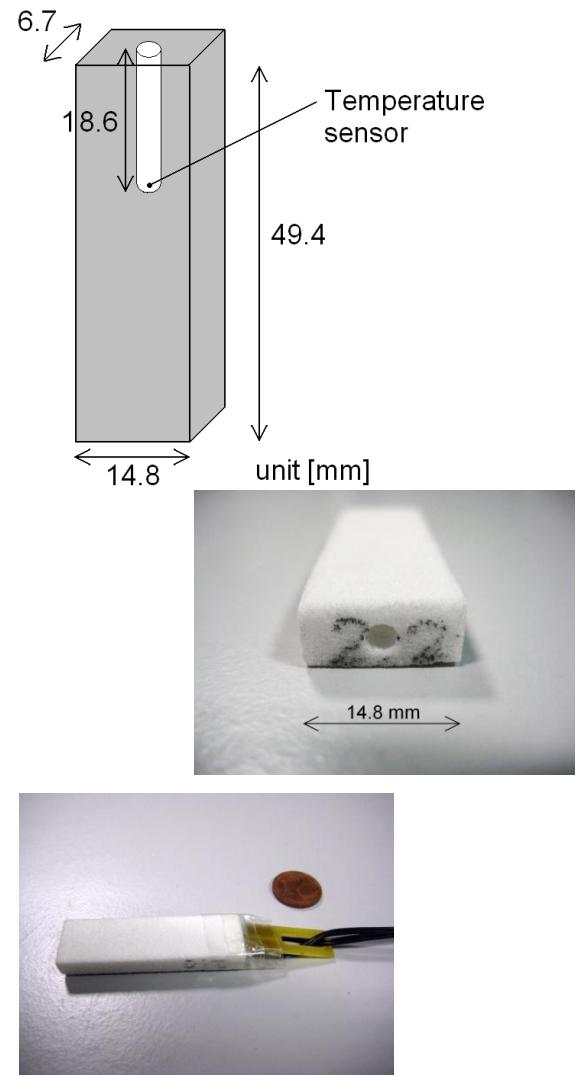
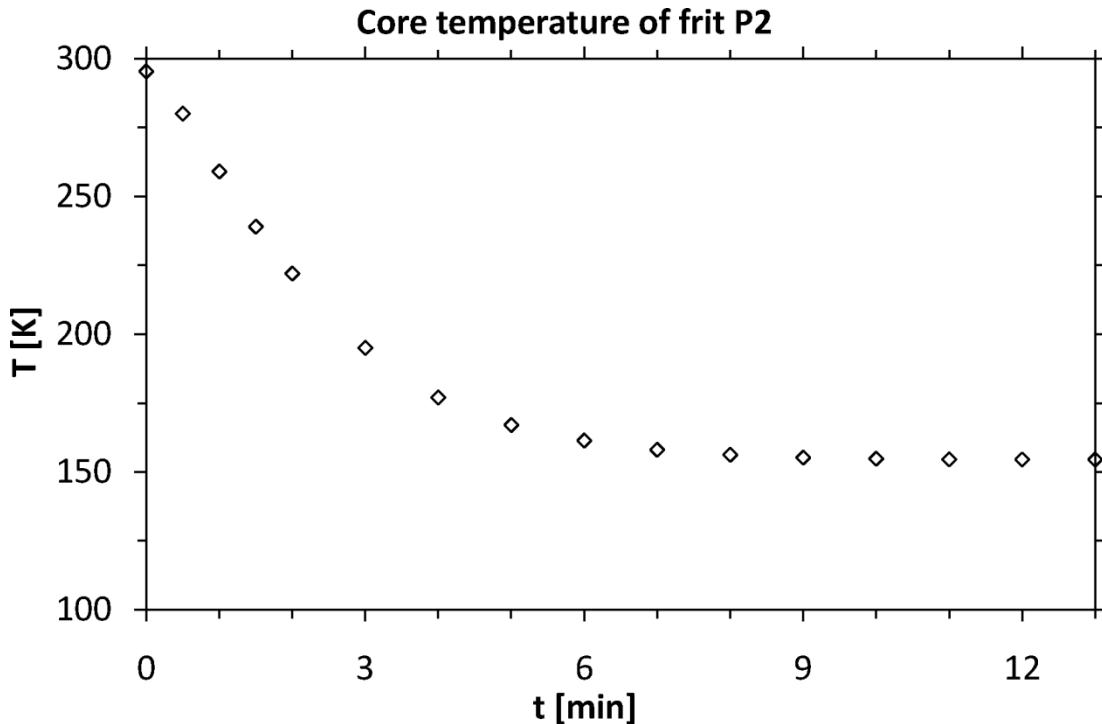


# Experimental setup

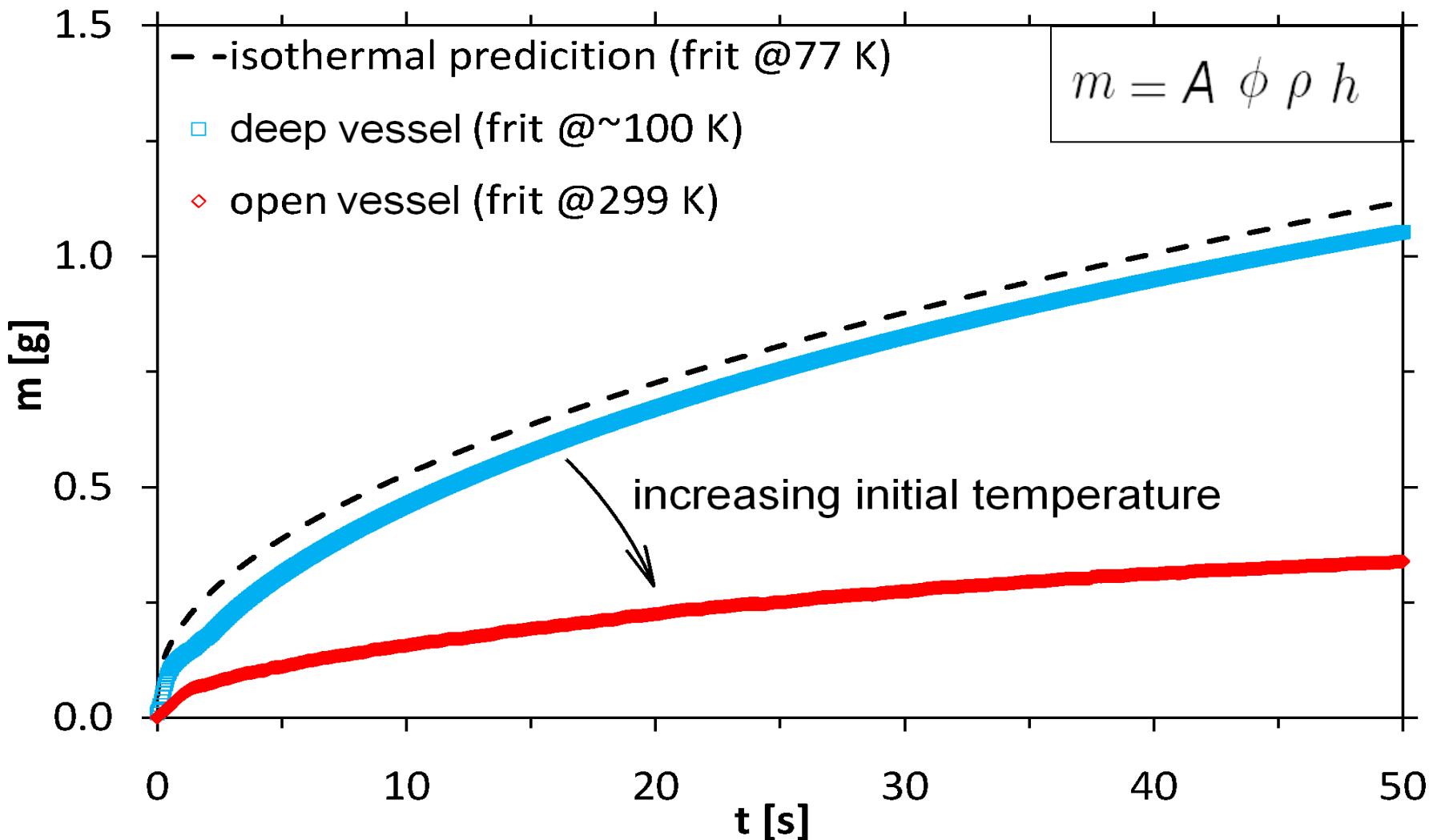


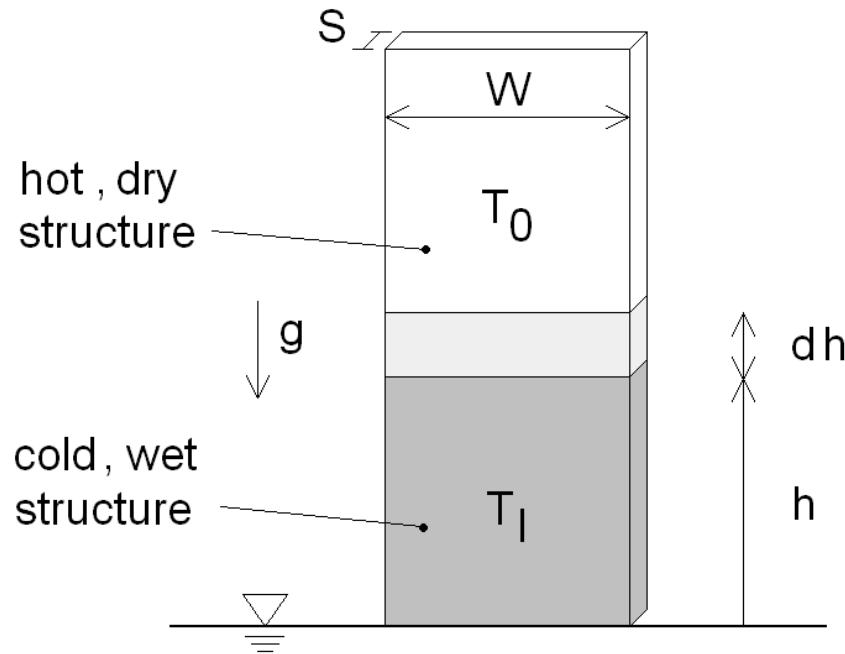
Sensors: rack with 5 LakeShore DT-670 Silicon Diodes

# Chilldown in cold gas



# Mass of LN<sub>2</sub> in frit P5





## Main assumptions:

- No heat conductance in the porous medium
- Adiabatic environment
- Liquid at saturation temperature

$$\Delta T = T_0 - T_l$$

$$\dot{V}_s = WS(1 - \phi)\dot{h}$$

Heat to cool the porous structure

$$\dot{Q} = \dot{V}_s \rho_s c_s \Delta T$$

Heat of evaporation

$$\dot{Q} = \dot{V}_l \rho_l \Delta H_v$$

→ the volume of evaporated LN2 can be calculated

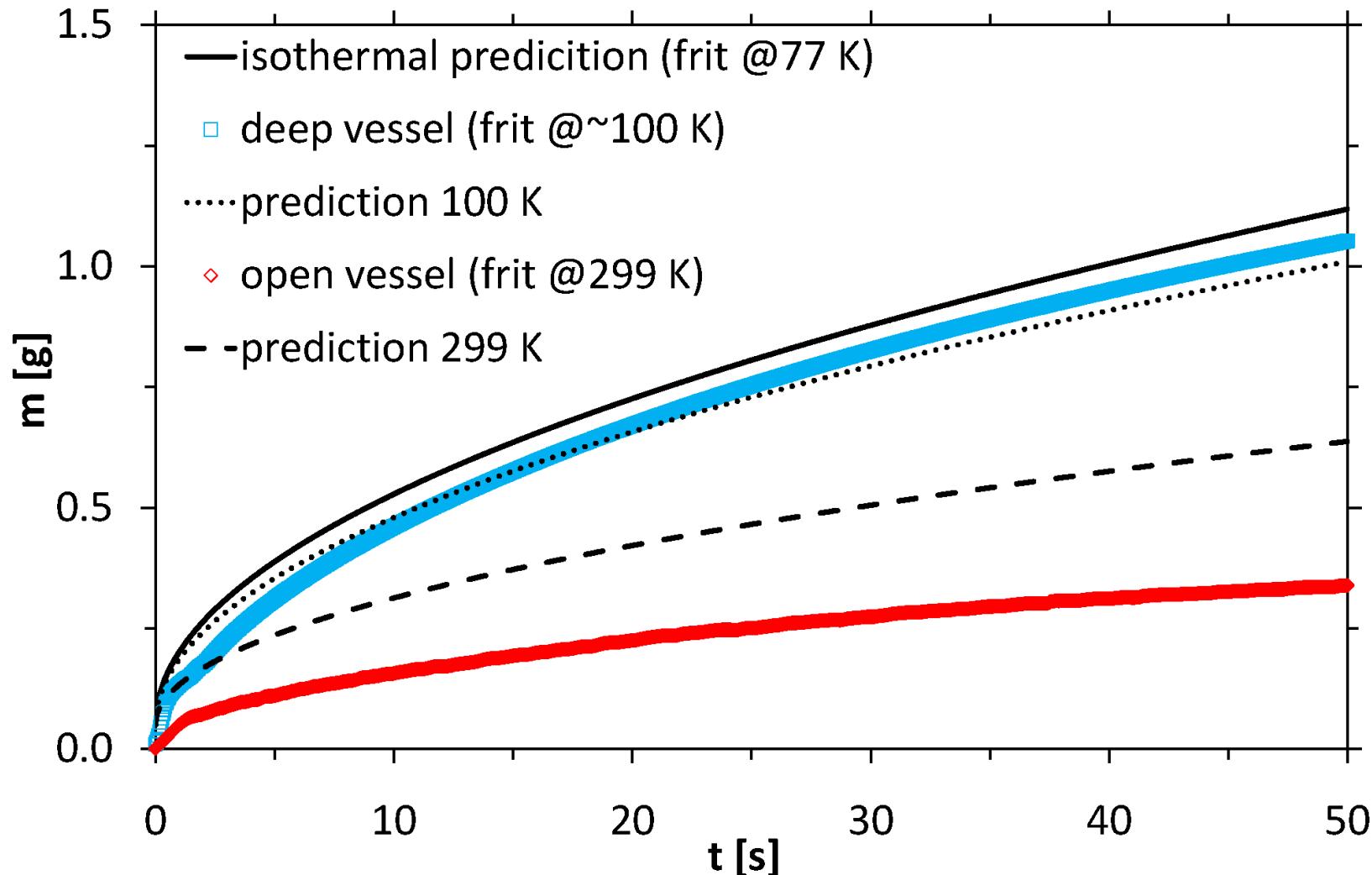
The rise is slowed down by a factor of  $\frac{1}{1 + \delta}$

$$\delta = \frac{(1 - \phi)c_s \rho_s \Delta T}{\phi \Delta H_v \rho_l}$$

Classic rise models:

N. Fries, K. Odic, M. Conrath, M. Dreyer; The Effect of Evaporation on the Wicking of Liquids into a Metallic Weave; Journal of Colloid and Interface Science 321: 118-129, 2008.

# Comparison with experiments



- Experiments are performed to study the capillary rise of liquid nitrogen in porous media.
- Capillary rise can be observed using mass recordings, and optical methods in visible light and infrared.
- The higher the initial temperature of the structure, the slower the capillary rise process.
- This is described by our model qualitatively.
- More research needs to be conducted to fully understand the processes.

Funding by the DFG through Research Training Group 1375  
PoreNet is gratefully acknowledged.

Many thanks to the great staff at ZARM for support:

- F. Cieciorka
- P. Prengel
- R. Mairose
- H. Faust
- E. Frank
- M. Meistering

A photograph of Earth from space, showing clouds and continents. A small black satellite is visible against the white clouds. The horizon line is in the upper third of the image.

Thank you for your attention!

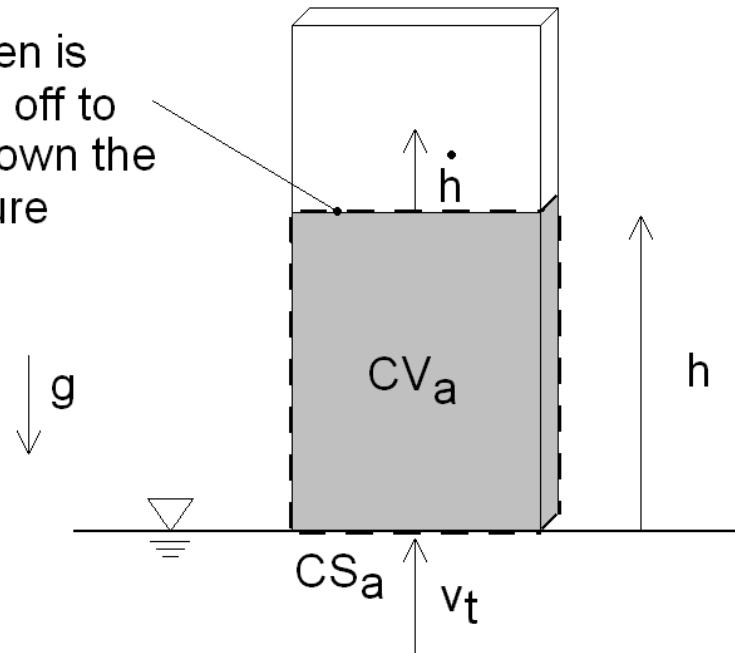
Do you have questions?

# Flow velocity in the structure

$$\left( \frac{dm}{dt} \right)_{syst} = 0 = \frac{d}{dt} \left[ \iiint_{CV_a} \rho_l dV_a \right] + \iint_{CS_a} \rho_l (\mathbf{v}_{rel} \cdot \mathbf{n}) dS_a$$

$$v_t = \dot{h} + \frac{\dot{V}_l}{WS\phi} = (1 + \delta)\dot{h}$$

Cryogen is  
boiling off to  
cool down the  
structure



$$\delta = \frac{(1 - \phi)c_s \rho_s \Delta T}{\phi \Delta H_v \rho_l}$$

# Momentum balance

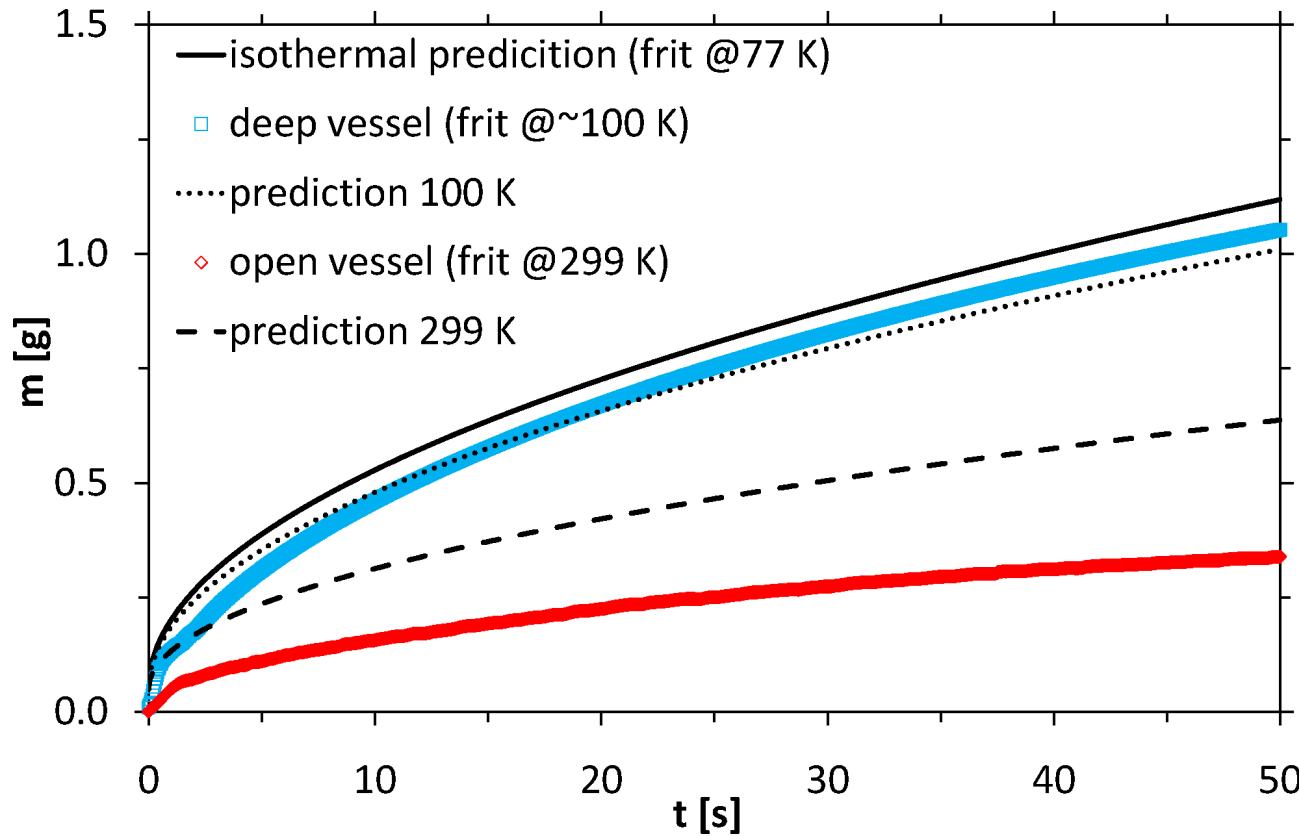
$$\underbrace{\frac{2\sigma \cos \theta_s}{R_s}}_{\text{surface tension}} = \underbrace{\frac{\phi}{K} \mu h v_t}_{\text{viscosity}} + \underbrace{\rho g h}_{\text{gravity}} + \underbrace{\frac{d (\rho h \dot{h})}{dt}}_{\text{inertia}}$$

$$v_t = \dot{h} + \frac{\dot{V}_l}{WS\phi} = (1 + \delta)\dot{h}$$

$$\frac{2\sigma \cos \theta_s}{R_s} = \frac{\phi}{K} \mu h \dot{h} (1 + \delta) + \rho g h + \frac{d (\rho h \dot{h})}{dt}$$

# Solution in Lucas Washburn regime

$$h^2 = \frac{4\sigma \cos \theta_s}{\phi \mu} \frac{K}{R_s} \left( \frac{1}{1 + \delta} \right) t$$



$$h^2 = \frac{4\sigma \cos \theta_s}{\phi \mu} \frac{K}{R_s} \left( \frac{1}{1 + \delta} \right) t$$

## Example LN2 in DTW

$$\phi = 0.24$$

$$c_s = 477 \text{ J/kgK}$$

$$\Delta T = 20 \text{ K}$$

$$\Delta H_v = 198.6 \text{ kJ/kg}$$

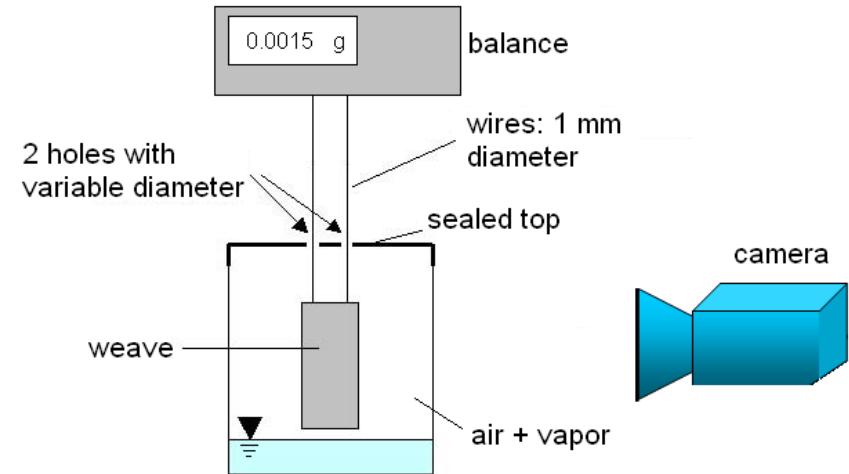
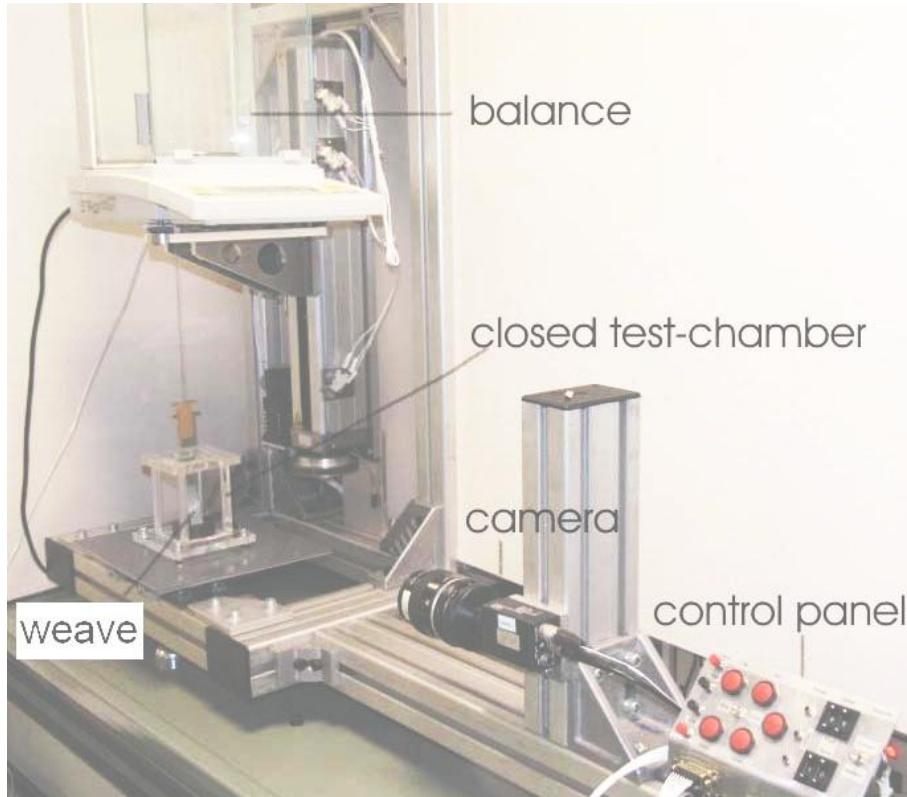
$$\rho_l = 808.5 \text{ kg/m}^3$$

$$\rho_s = 7900 \text{ kg/m}^3$$

$$\delta = 1.49$$

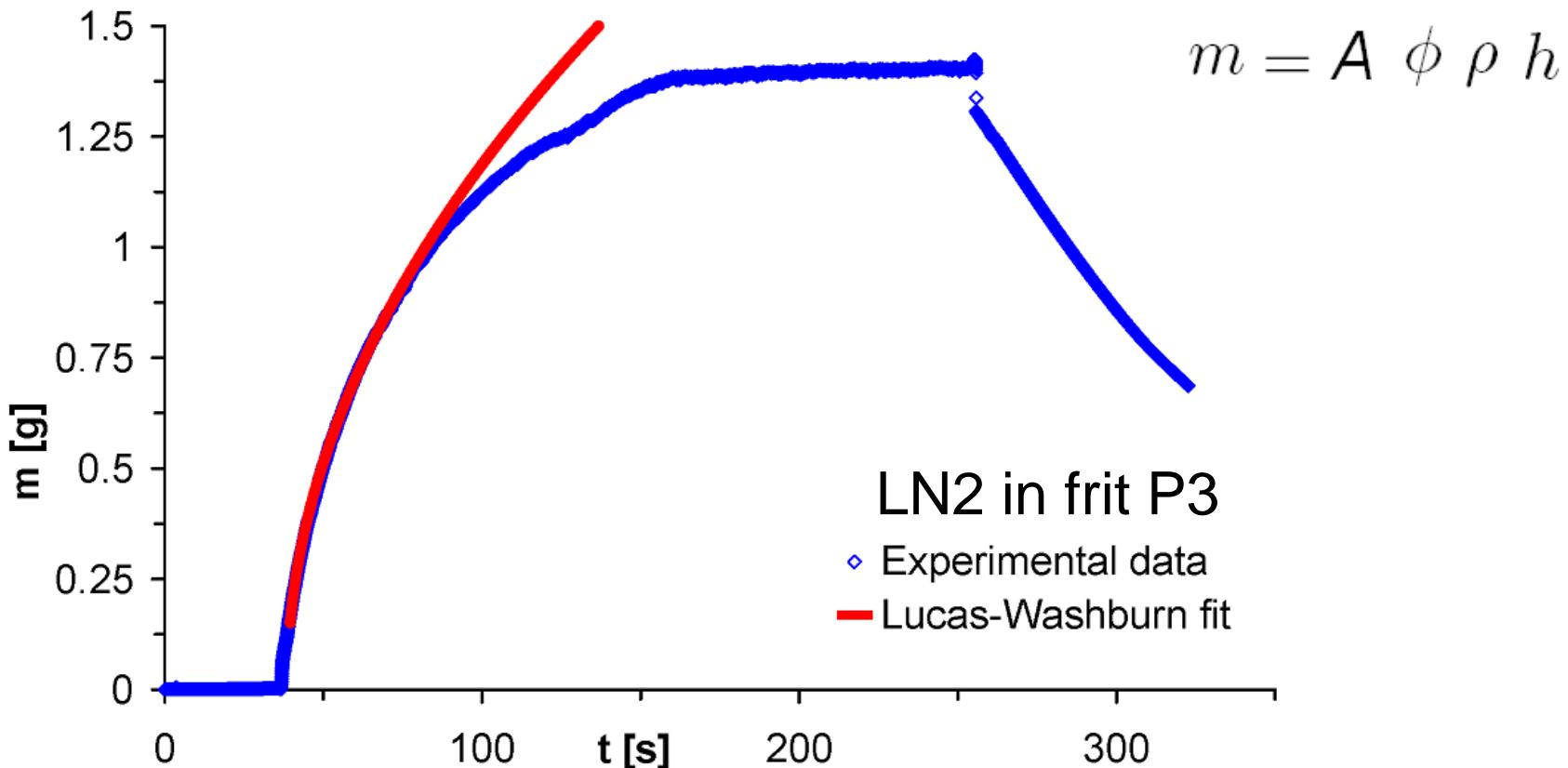
→ One expects a decrease in velocity by a factor of 0.63!

# Measurement method



## Experimental set-up

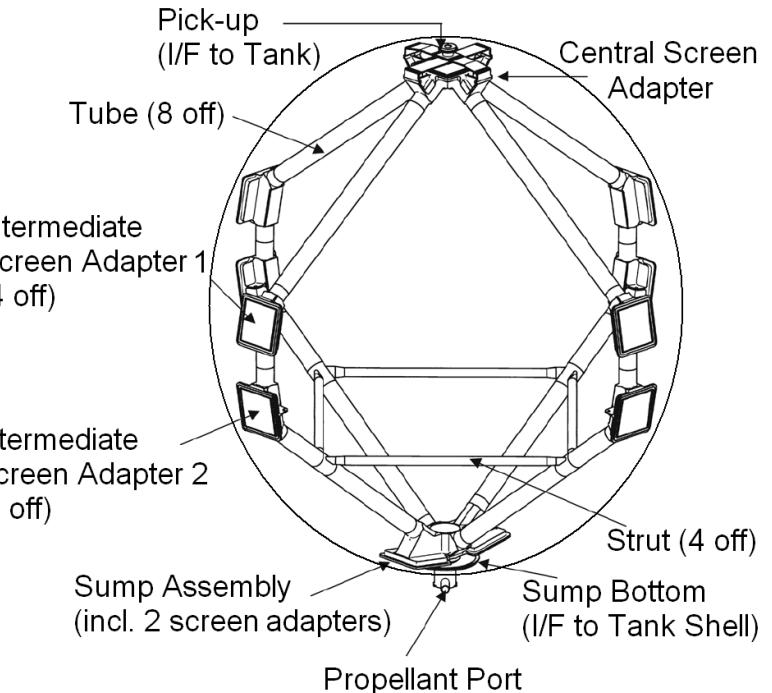
# Capillary rise of cryogenic liquids



Cryogenic capillary rise follows classic Lucas-Washburn model!



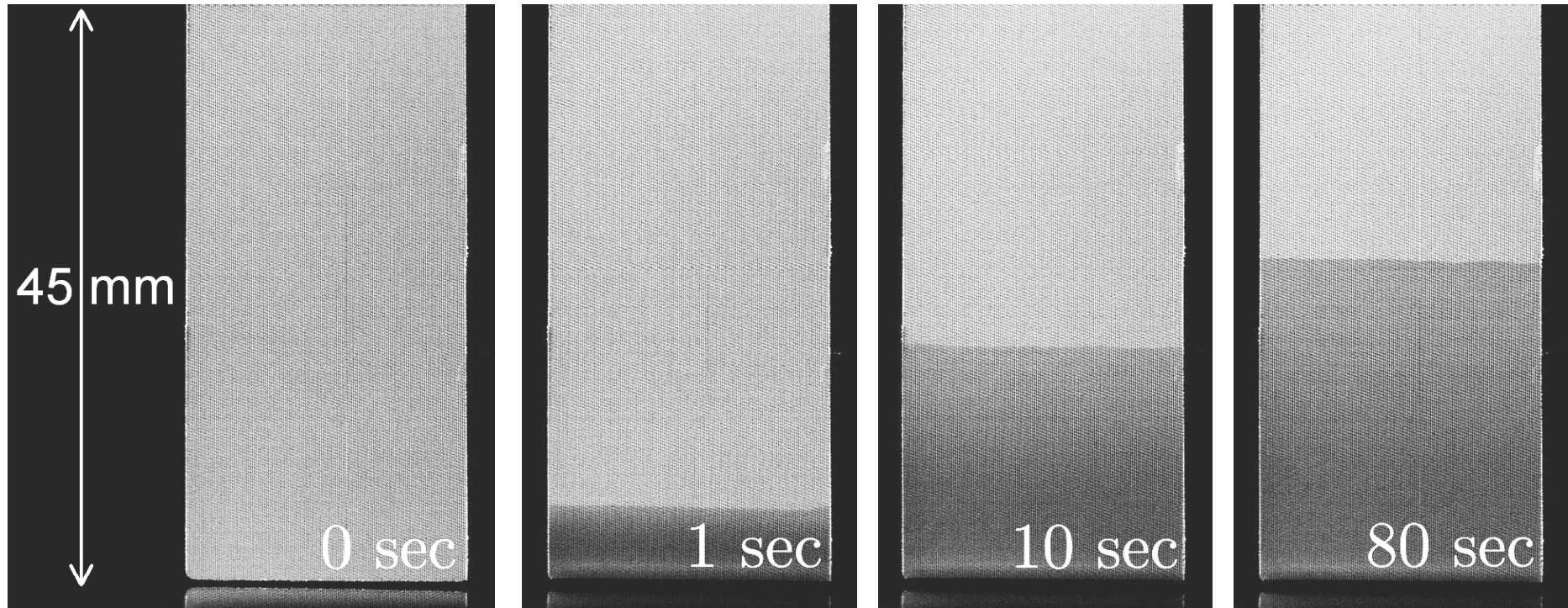
ATV approaching ISS



ATV propellant tank

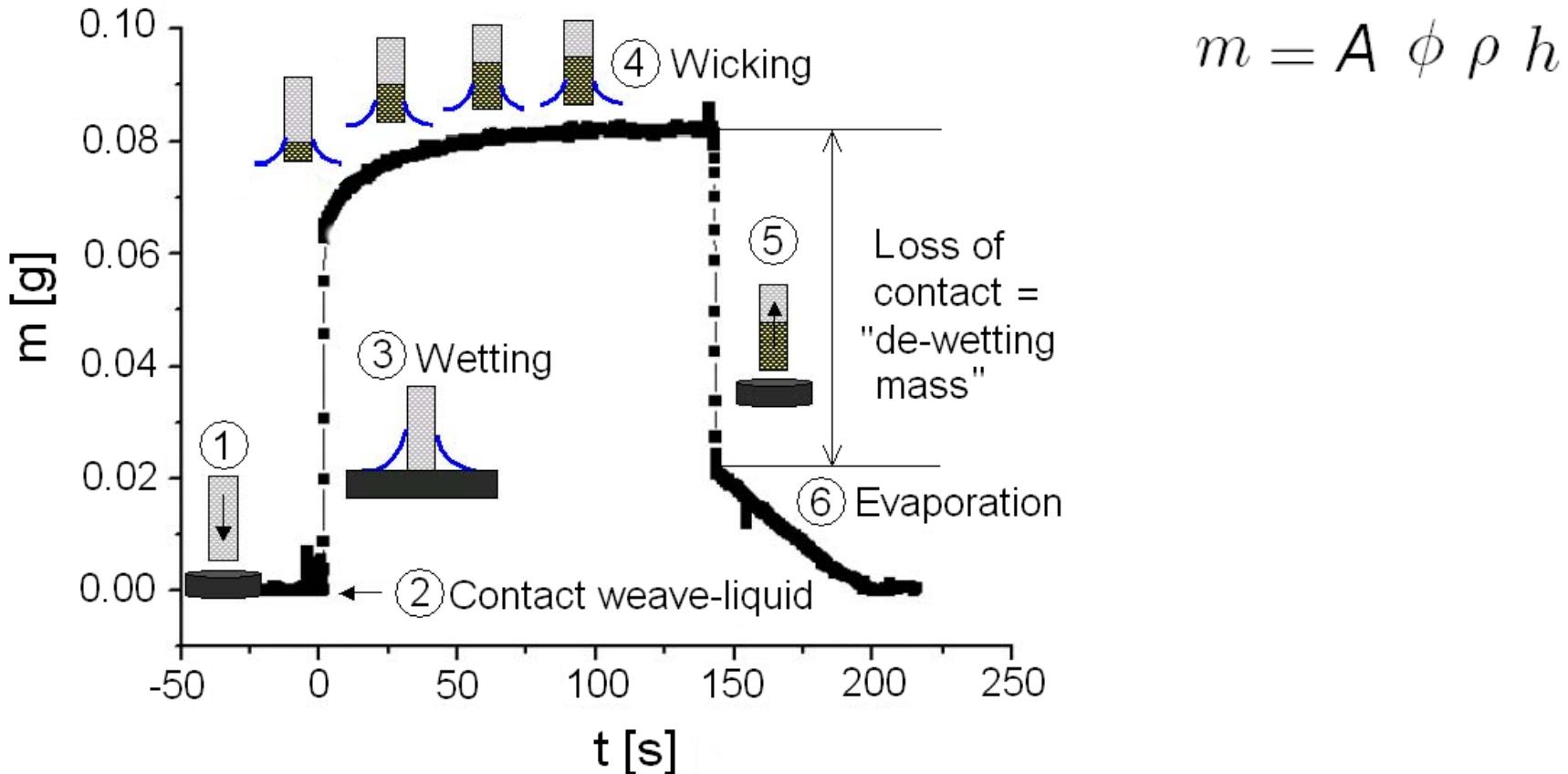
- PMD (propellant management device) [P.Behrzu, G.Netter]

# Capillary rise



Subsequent images of liquid (HFE-7500) wicking into weave

# Measurement method



Mass recording of HFE-7500 in a DTW 200 x 1400

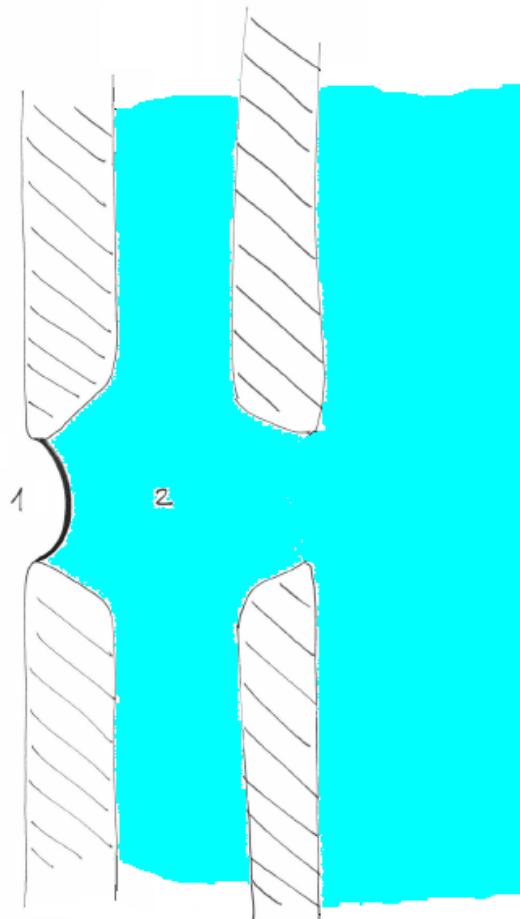
$$\nabla p = -\frac{\mu}{K} v_s$$

$$R^2 = \frac{8K}{\phi}$$

$$\Delta p = \frac{8 \cdot \mu \cdot h \cdot v_i}{R^2}$$

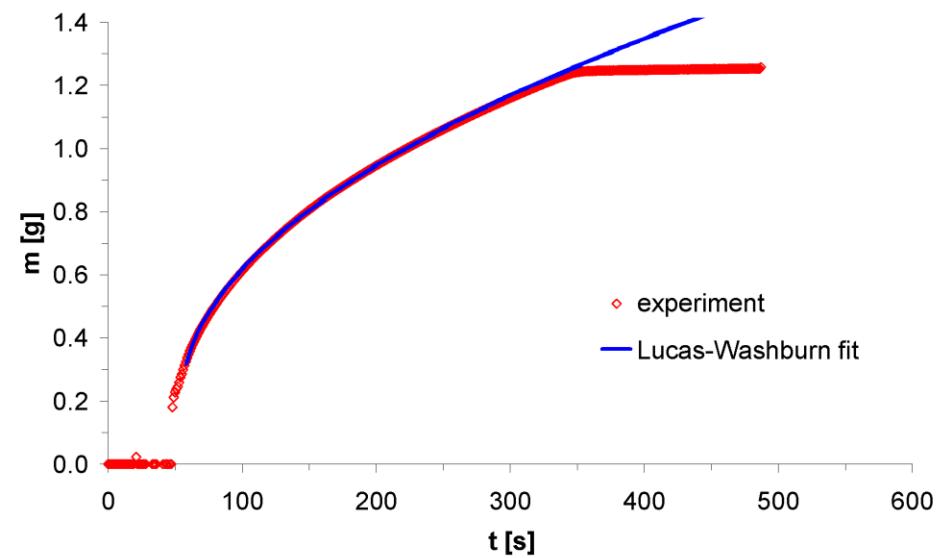
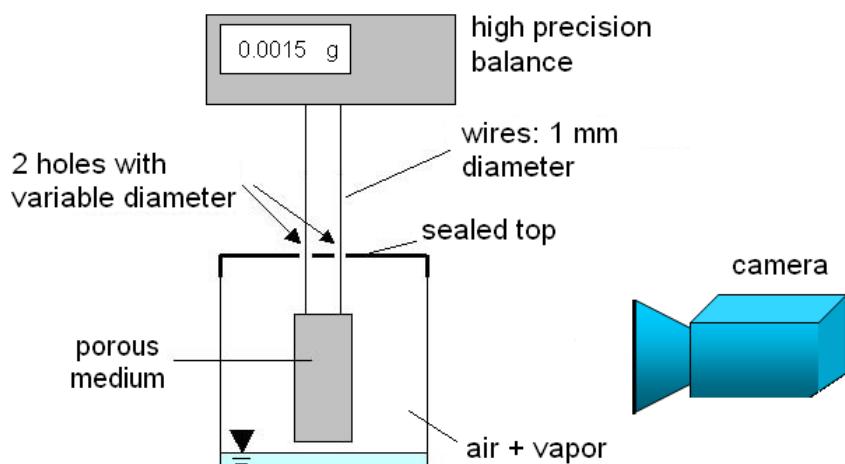
$$h^2 = \frac{\sigma \cos(\theta_s) R_e}{2\mu} t$$

$$R_e = \frac{R_h^2}{R_s}$$



- Bubble point  
(simplified model)

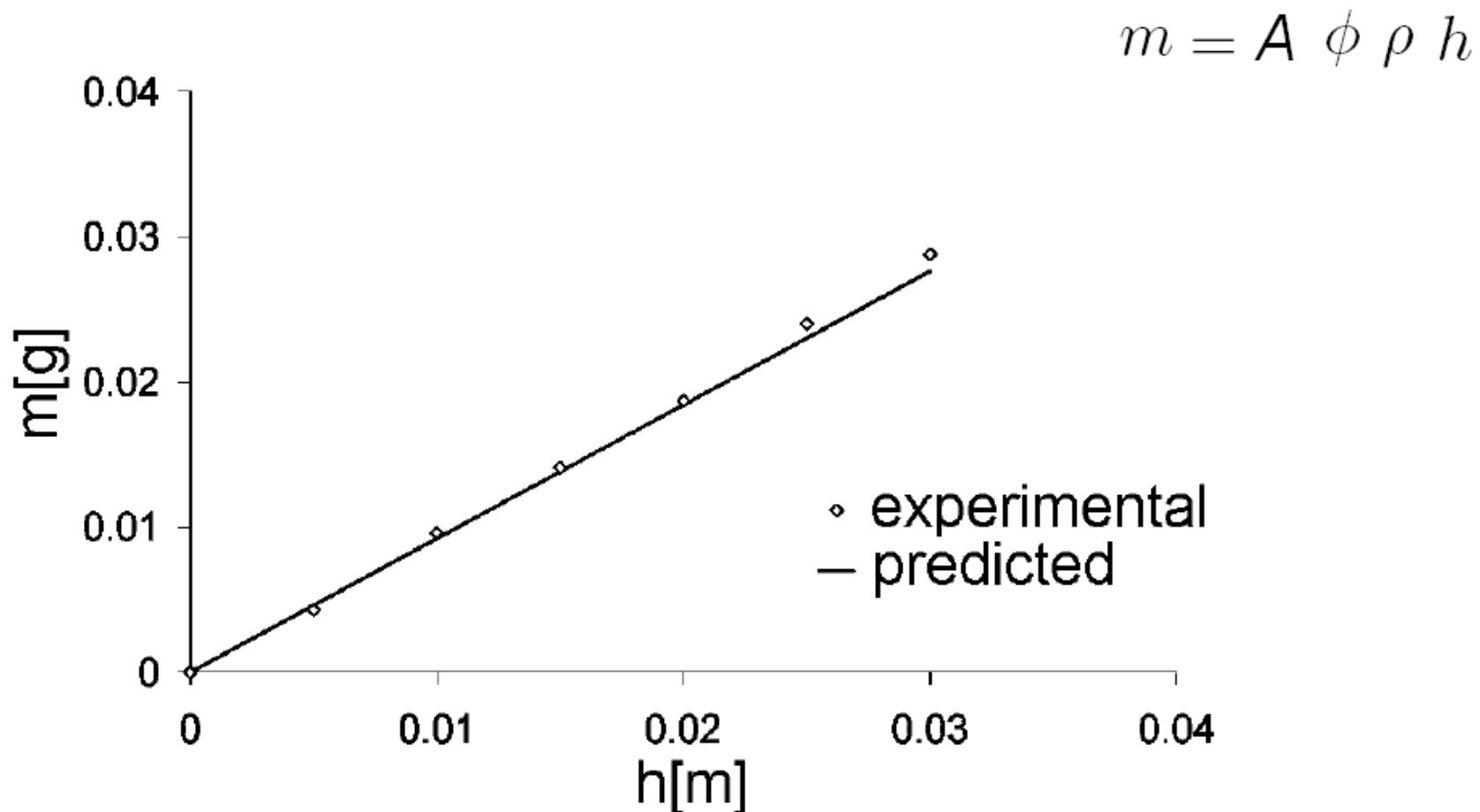
$$P_{BP} = \frac{2 \sigma \cos(\theta)}{R_{BP}}$$



## Lucas-Washburn equation

$$h^2 = \frac{4\sigma \cos \theta_s}{\phi \mu} \frac{K}{R_s} t$$

$$m^2 = (TW\phi \rho)^2 \frac{4\sigma \cos \theta_s}{\phi \mu} \frac{K}{R_s} t$$



- 1 - Ultrasound bath (7 min) at  $60^{\circ}\text{C} \pm 5^{\circ}\text{C}$  with Turco 4215 NC (10 g/l)
- 2 - Ultrasound bath with fresh de-ionized water (2x10 min),
- 3 - pH check:  $5 < \text{pH} < 7$ ,
- 4 - Ultrasound bath with IPA (10 min),
- 5 - Drying of the mesh at  $65^{\circ}\text{C}$  for 2 hours,
- 6 - Cleanliness check with normal and UV light,